

Solutions

Problem 1:

(E)

Problem 2:

(E) The Stefan Boltzman law: The total energy radiated per unit area per unit time is proportional to T^4 .

Problem 3:

(A) max efficiency = $(T_1 - T_2)/T_1 = 200/(727+273)$

$W_{\max} = Q_{\text{high}} * 200/1000 = (2000 \text{ J})/5$.

Problem 4:

(B) <http://scienceworld.wolfram.com/physics/SpeedofSound.html>

Or make a simple argument. Speed of sound should be proportional to speed of particles. E is proportional to T, v is proportional to $T^{1/2}$. (Note T is absolute temperature.)

Problem 5:

(D) The work is equal to the area under the PV diagram. It is positive if the path is clockwise, and negative if the path is counterclockwise.

$W = -1/2 * 2 \text{ m}^3 * 300 * \text{kPa} = -300 \text{ kJ}$.

Problem 6:

(E) $PV = nRT$. The work done by the gas is $W = \int_{V_1}^{V_2} P dV$.

For the isothermal process $P = nRT/V$ with T constant. For the adiabatic process $P = nRT(V)/V$. T(V) decreases as the volume increases, since the gas does work and its internal energy decreases.

Problem 7:

(C) If T_1 and T_2 are the temperatures of the source and sink respectively, the efficiency of the Carnot engine is given by $\eta = (T_1 - T_2)/T_1$.

Therefore, initially we have $1/5 = (T_1 - T_2)/T_1$ so that $T_2 = 4T_1/5$.

In the second case (when the temperature of the sink is reduced), we have

$2/5 = [T_1 - (T_2 - 100)]/T_1$.

Substituting for $T_2 = 4T_1/5$ in the above equation, we obtain $T_1 = 500 \text{ K}$.

Problem 8:

(B) Critical isotherm: A curve showing the relationship between the pressure and volume of a gas at its critical temperature. This temperature, above which the gas cannot be liquefied, is called the critical temperature.

Problem 9:

(B) Vapor-liquid equilibrium is a condition or state where the rate of evaporation equals the rate of condensation.

Problem 10:

(C) The average energy associated with each translational degree of freedom of a molecule is $\frac{1}{2}kT$, the average energy associated with each rotational degree of freedom of a molecule is $\frac{1}{2}kT$, and the average energy associated with each vibrational mode is kT . [The average kinetic energy of an oscillator mode is $\frac{1}{2}kT$ (from the definition of the temperature T) and the average potential energy is equal to the average kinetic energy.]

Problem 11:

(C) The Stefan Boltzman law: The total energy radiated per unit area per unit time is proportional to T^4 . 16 times as much energy is delivered to the water.

Problem 12:

(A) All other answers are false.

Energy conservation: $dU = dQ - dW$. For an ideal gas $PV = NkT$.

For an isothermal process $PV = \text{constant}$, $P \propto 1/V$.

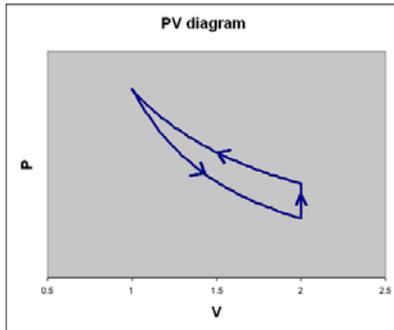
For an adiabatic process $dU = -dW = -PdV$. But we also have $U = N(1/2)m\langle v^2 \rangle$.

Since $(1/2)m\langle v^2 \rangle = (3/2)kT$, we have $U = (3/2)PV$, $dU = (3/2)(PdV + VdP)$.

Equating our two expressions for dU we have $-PdV = (3/2)(PdV + VdP)$,

$dP/P + (5/3)dV/V = 0$. $PV^{5/3} = C = \text{constant}$, $P \propto 1/V^{5/3}$.

The reversible process is described by a counterclockwise path on the PV diagram.

**Problem 13:**

(C) We have reversible processes. In a reversible process the total entropy does not change.

Problem 14:

(D)

Problem 15:

(A) at constant pressure: $dQ = nC_p dT$

at constant volume: $dQ = nC_v dT$

Energy conservation:

at constant pressure: $dU = dQ - dW = nC_p dT - PdV = nC_p dT - nRdT$

at constant volume: $dU = nC_v dT$

dU depends only on the change in temperature,

so $nC_p dT - nRdT = nC_v dT$, $C_p - C_v = R$.